DIRECTORATE OF ADVANCED STUDIES EVENT CATALOGUE 2021

8TH SEMINAR OF DAS EVENTS CALENDAR – 2021

MODELING WITHIN-FIELD VARIABLY FOR PRECISION AGRICULTURE APPLICATION USING GEOSPATIAL TECHNIQUES

8th Seminar (Online through ZOOM) of DAS Events Calendar - 2021

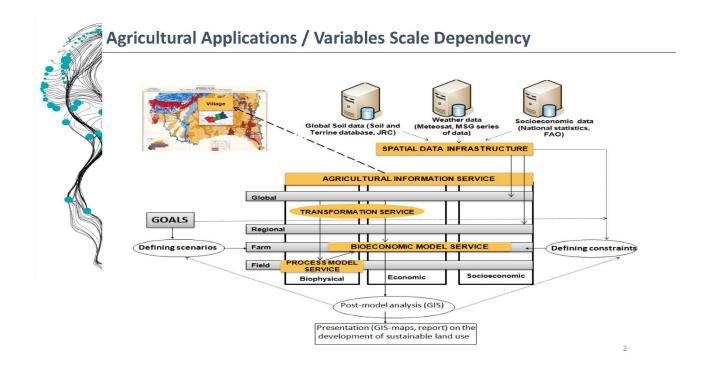
Modeling within-field Variably for Precision Agriculure Application using Geospatial Techniques

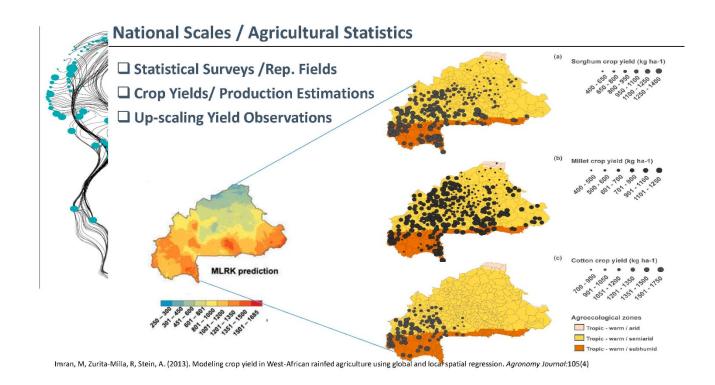
Presenter: Dr. Muhammad Imran
Assistant Professor, Institute of Geo-Information & Earth Observation

22nd April, 2021 (Thursday) at 02:00 pm ZOOM Meeting ID: 955 408 3170 - Passcode: 67890

Organized By: Directorate of Advance Studies, PMAS-AAUR

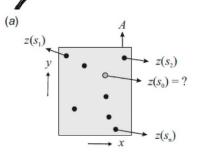
ACTIVITIES

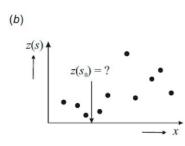


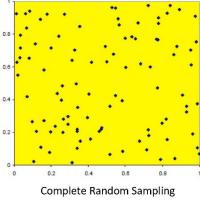


Field / Farm Scales / Precision Agriculture

- ☐ Field data collected at, for example, small farms or individual soil pits
- Extrapolations for precision agriculture equipments / VRT







Imran, M, Zurita-Milla, R, Stein, A. (2013). Modeling crop yield in West-African rainfed agriculture using global and local spatial regression. Agronomy Journal:105(4)

Up-scaling Field Observations / Modeling Spatial Variability

- Use of agricultural data requires up-scaling towards the scale of application.
- The solution is to model spatial variability of agricultural variables and use it in the process of extrapolation.





dependent, target variable

stochastic residual, unexplanatory part, can be spatially correlated!

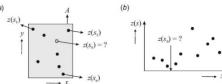
trend, explanatory part

$$\hat{z}(\mathbf{s}_0) = \sum_{i=1}^n \lambda_i(\mathbf{s}_0) \cdot z(\mathbf{s}_i)$$

Modeling Spatial Variability / Geostatistical Approaches



Weights governing the spatial variation of a variable can be quantified using the so-called semivariance, this is half the expected squared difference between the values of the variable of interest at two locations

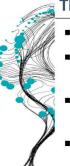


$$\gamma(h) = \frac{1}{2} E[(Y(s) - Y(s+h))^2]$$

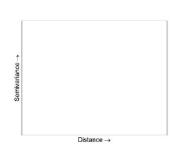
measurement at location S

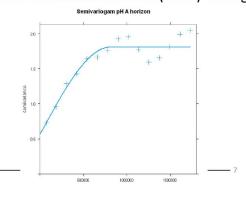
measurement at location S+h

The variogram - $\gamma(h)$ / Ordinary Kriging



- The tool we use to represent and model spatial variation
- The semivariance of Z(s) and Z(s+h) only depends on the distance h and not on the locations s and s+h.
- In other words we assume spatial non-stationarity, i.e., mean or trend component is constant
- Plot of semivariance as a function of the distance is called a (semi)-variogram





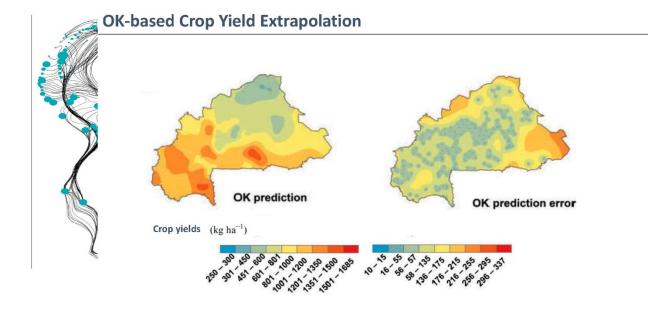
Modeling Uncertainty in Up-scaling Yield Observations



• The kriging variance at each point is automatically generated as part of the process of computing the weights. This kriging variance gives a measure of prediction error (Uncertainty).

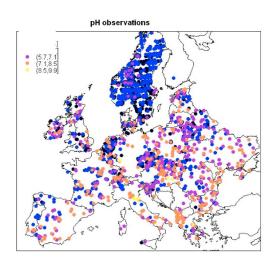
$$\sigma_{OK}^{2}(s_{0}) = E\left[\left(Z(s_{0}) - \hat{Z}(s_{0})\right)^{2}\right] = \sum_{i=1}^{n} \lambda_{i} \cdot \gamma(s_{i} - s_{0}) + \varphi$$

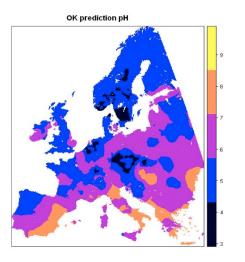
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OK-based Prediction of Soil Variables – Field Scale

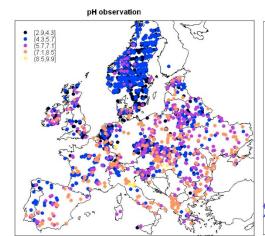


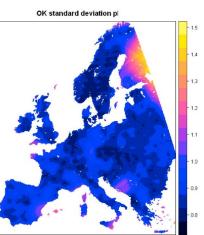




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Measurement of Uncertainty





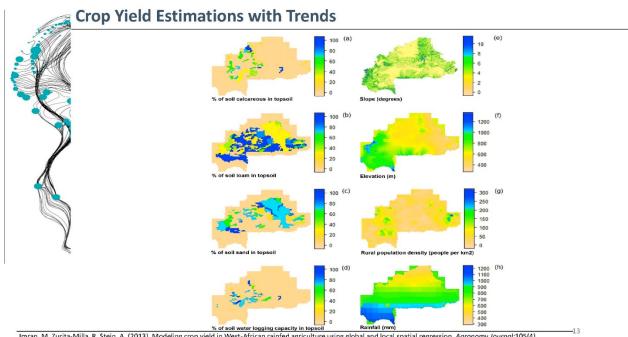
Modeling Spatial Variability / Upscaling Yield Observations



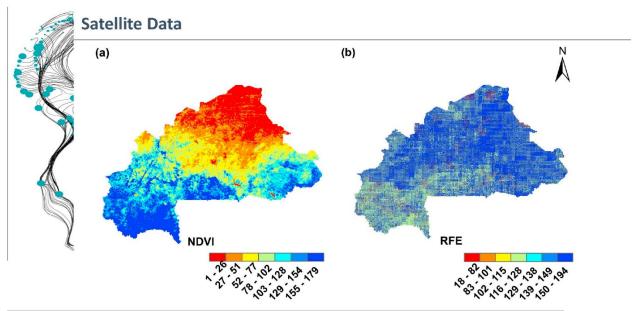
- ☐ When the variable mean is not constant it varies spatially
 - correlated with location (trend-surface analysis, kriging with a trend);
 - varies with class (e.g., land-cover type, soil type);
 - varies together with a continuous covariate.
- ☐Deterministic or empirical relationship / Trend:
 - deterministic
 - empirical regression modeling

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Imran, M., Basit, I., Khan, M.R., Ahmad, S.R.Analyzing the Impact of Spatio-Temporal Climate Variations on the Rice Crop Calendar in Pakistan. Accepted for presentation in at the 20th International Conference on Sustainable Agriculture Environment & Forestry, London, UK. 28-29 June 2011, Londo, UK.

Modeling trend with deterministic methods Multiple Linear Regression Kriging (MLRK)

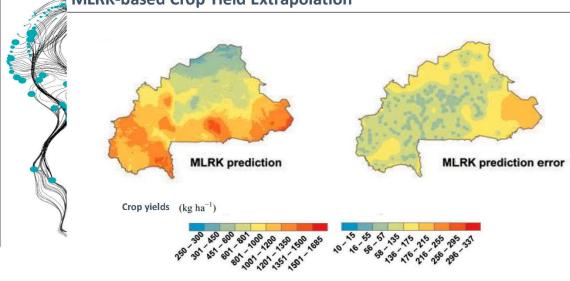


$$Y(s) = f(NDVI.PC(s), PERC(s), ELEV(s), RURP(s), PHCR(s), MARK(s)) + H(s),$$

$$\begin{split} \hat{z}(s_0) &= \hat{m}(s_0) + \hat{e}(s_0) \\ &= \sum_{k=0}^{p} \hat{\beta}_k \cdot q_k(s_0) + \sum_{i=1}^{n} \lambda_i \cdot e(s_i) \end{split}$$

$$\hat{Y}_{RK}(s) = x_{\circ}(s)^{T} \hat{\beta}_{MLR}(s) + \hat{H}_{OK}(s),$$

MLRK-based Crop Yield Extrapolation



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Modeling Spatial Variability – Geostatistical Approaches



- Geostatistical approaches include the distance between two observations for the quantification of spatial variability.
- These methods however do not consider spatial variations with respect to the geographical coordinates.

$$\gamma(h) = \frac{1}{2} E[(Y(s) - Y(s+h))^2]$$

measurement at location S

measurement at location S+h



Modeling Spatial Variability – Spatial Statistoc Approaches Geographical Weighted Regression (GWR)



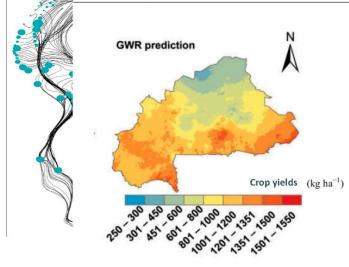
Y(s) = f(NDVI.PC(s), PERC(s), ELEV(s), RURP(s), PHCR(s), MARK(s))

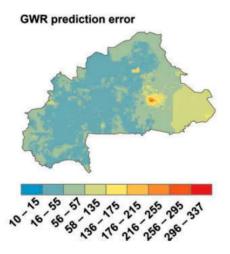
$$Y(s) = \beta_0 + \sum_k \beta_k X_k(s) + \epsilon_s,$$

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$$Y(s) = \beta_0(s) + \sum_k \beta_k(s) X_k(s) + \epsilon(s),$$

GWR Crop Yield Extrapolation





Concluding remarks



- •Spatial statistical tools help to model spatial variability of variables.
- •Geostatistical approaches uses the quantified spatial variability to extrapolate variables from field to regional scales.
- •Remote sensing imagery can be used to assist in scaling-up and scaling-down spatial information.

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